

# LETTER

doi:10.1038/nature18301

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## Universality of human microbial dynamics

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9 JUNE 2016 | VOL 534 | NATURE | 259

JC by KKY 9/1/2016

# Human microbiome is a dynamical system

A microbial system can be represented via a population dynamic model:

$$\mathbf{x}^{(\nu)}(t) = (x_1^{(\nu)}(t), \dots, x_N^{(\nu)}(t))$$

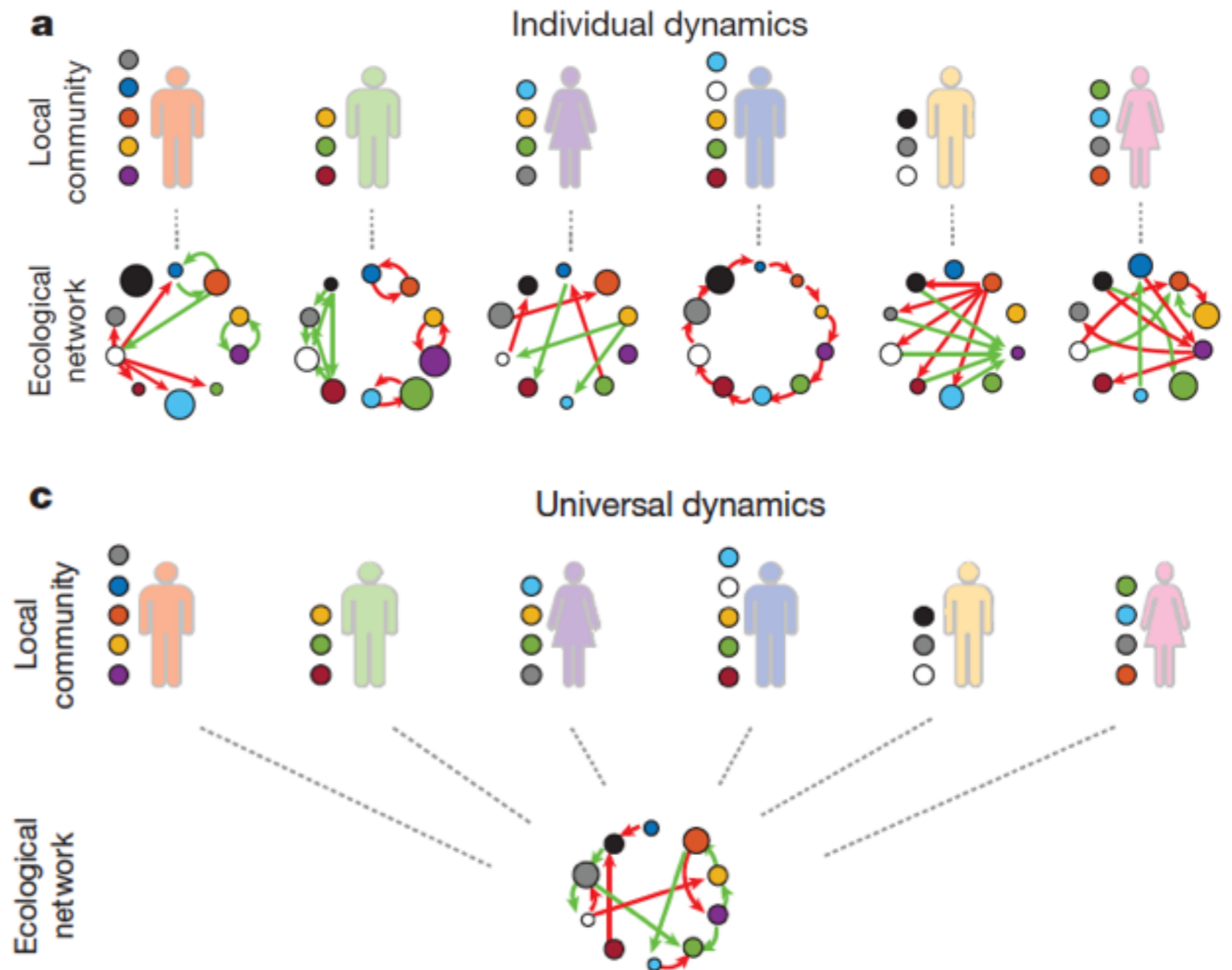
is a time-dependent abundance profile

$$\dot{\mathbf{x}}^{(\nu)} = f(\mathbf{x}^{(\nu)}; \Theta^{(\nu)})$$

non-linear function

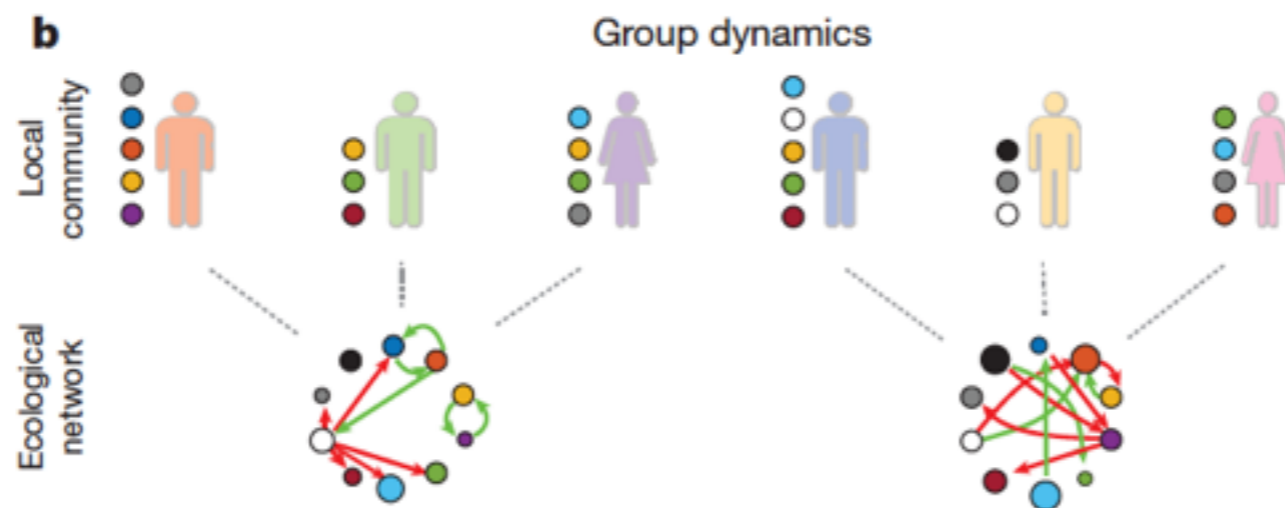
all ecological parameters:  
growth rates, intra-species  
and inter-species interactions

are these parameters  
host-independent?



# Why should we care?

- Microbiome-based therapies:
  - A universal dynamics - general interventions to control microbial state
  - Host-specific - personalized interventions
  - middle ground: population specific dynamics



- Safety concern for faecal microbiota transplantation (FMT): Microbiota are good in donor's gut may not be good in the recipient's.

# Computational challenges and novelties

- Naively speaking, there are 2 ways to infer the parameters in the dynamical model:
  - large number of healthy individuals from temporal metagenomics data
  - correlation-based analysis of cross-sectional data
- Rather than asking what the dynamics are, the paper wants to determine whether the dynamics is universal or not. The question is much easier.

# How can we quantify variability between two samples?

- overlap between species assemblages
- dissimilarity between shared species

	Sample 1	Sample 2
OTU 1	0	0.1
OTU 2	0.3	0.4
<b>OTU 3.1</b>	<b>0.3</b>	<b>0.2</b>
<b>OTU 3.2</b>	<b>0.1</b>	<b>0.2</b>
<b>OTU 3.3</b>	<b>0.1</b>	<b>0.1</b>
OTU 4	0.2	0

relative abundances

$$O(\tilde{x}, \tilde{y}) \equiv \sum_{i \in S} \frac{\tilde{x}_i + \tilde{y}_i}{2}$$

S: set of common species

if S is empty, O=0

if 2 samples share all species, O=1

(no matter the difference in relative abundances)

Overlap = 0.85

Jaccard = 0.66

<i>i</i>	1	2	3	4
<i>x</i>	<i>x</i> <sub>1</sub>	<i>x</i> <sub>2</sub>	0	0
<i>y</i>	<i>y</i> <sub>1</sub>	<i>y</i> <sub>2</sub>	<i>y</i> <sub>3</sub>	<i>y</i> <sub>4</sub>
$\tilde{x}$	$\frac{x_1}{x_1+x_2}$	$\frac{x_2}{x_1+x_2}$	0	0
$\tilde{y}$	$\frac{y_1}{y_1+y_2+y_3+y_4}$	$\frac{y_2}{y_1+y_2+y_3+y_4}$	$\frac{y_3}{y_1+y_2+y_3+y_4}$	$\frac{y_4}{y_1+y_2+y_3+y_4}$
$\hat{x}$	$\frac{x_1}{x_1+x_2}$	$\frac{x_2}{x_1+x_2}$		
$\hat{y}$	$\frac{y_1}{y_1+y_2}$	$\frac{y_2}{y_1+y_2}$		

$$D(\hat{x}, \hat{y}) = D_{\text{rJSD}}(\hat{x}, \hat{y}) \equiv \left[ \frac{D_{\text{KL}}(\hat{x}, m) + D_{\text{KL}}(\hat{y}, m)}{2} \right]^{\frac{1}{2}}$$

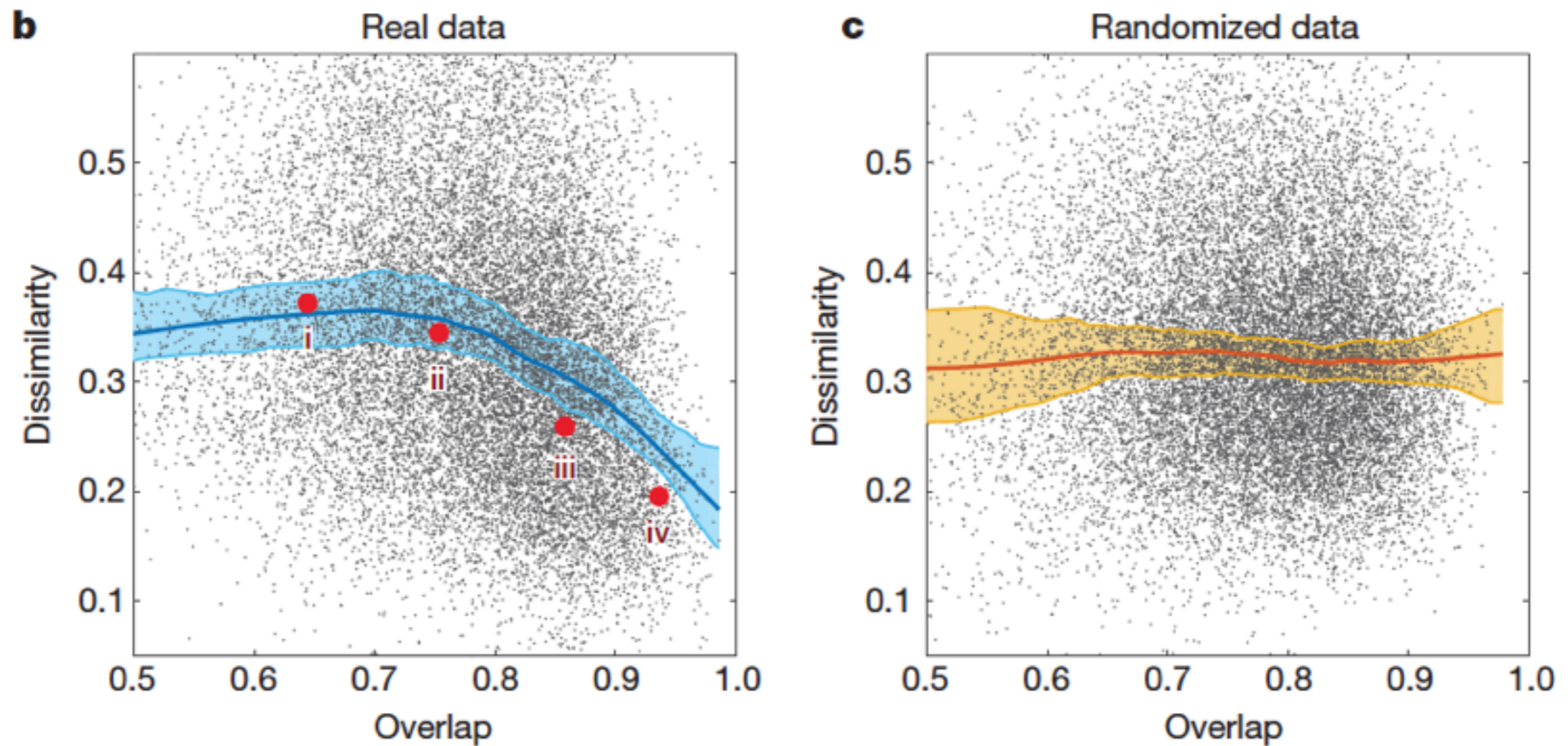
$$m \equiv \frac{\hat{x} + \hat{y}}{2} \text{ and } D_{\text{KL}}(\hat{x}, \hat{y}) \equiv \sum_{i \in S} \hat{x}_i \log \frac{\hat{x}_i}{\hat{y}_i}$$

Key observation:

Given a pair of samples, adding or removing unique species in whatever abundance will lead to a change in overlap, but NOT the dissimilarity

# Dissimilarity-overlap curve (DOC)

HMP study: 190 gut samples. 17955 pairs

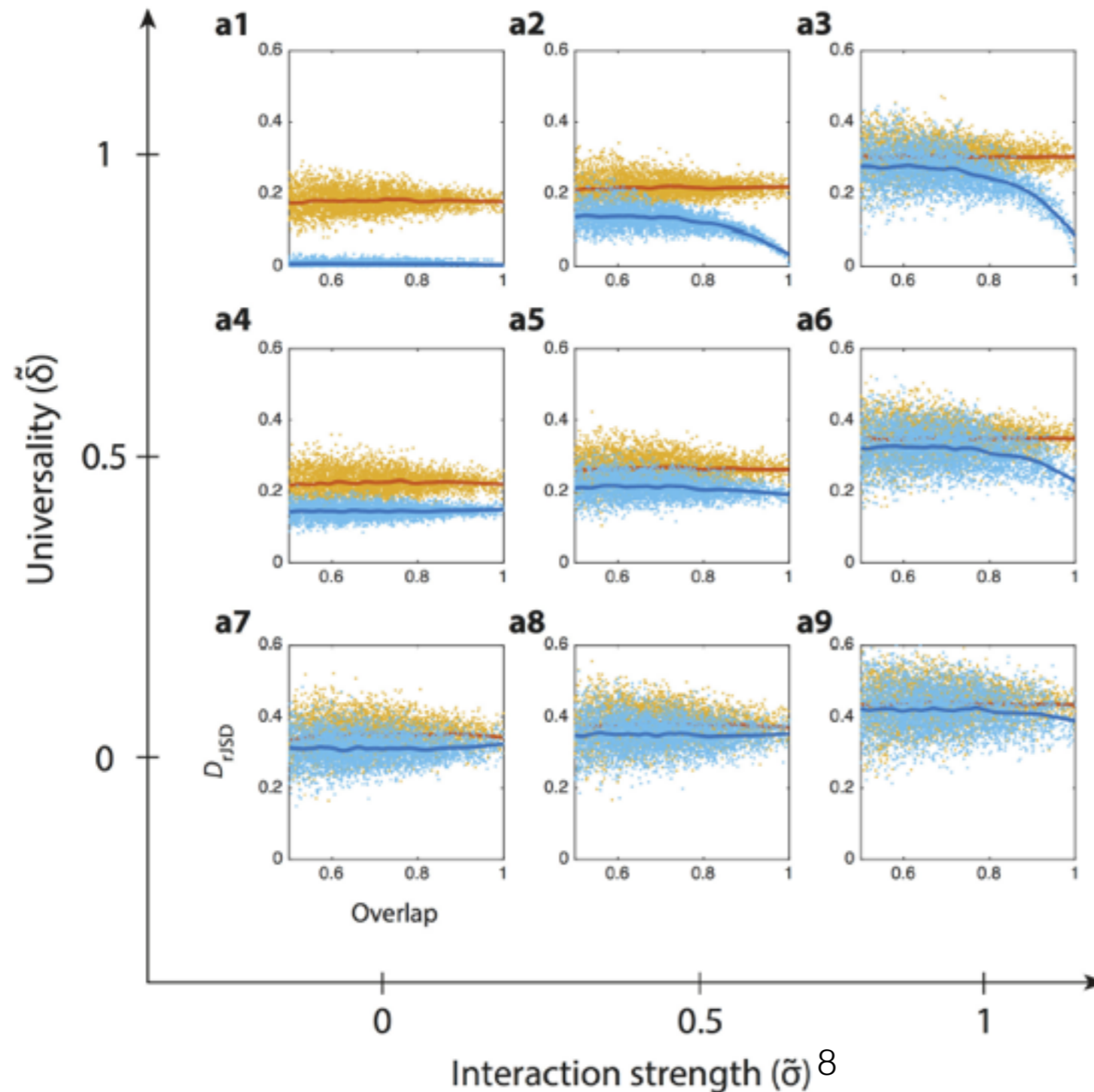


abundance profiles of sample pairs become more similar as their overlap becomes higher

# What's the big deal of the negative slope?

- Claims:
  - A flat DOC is an indication of individual dynamics
  - A negative slope in the high-overlap regions indicates universal dynamics

# Support by simulated population dynamics models

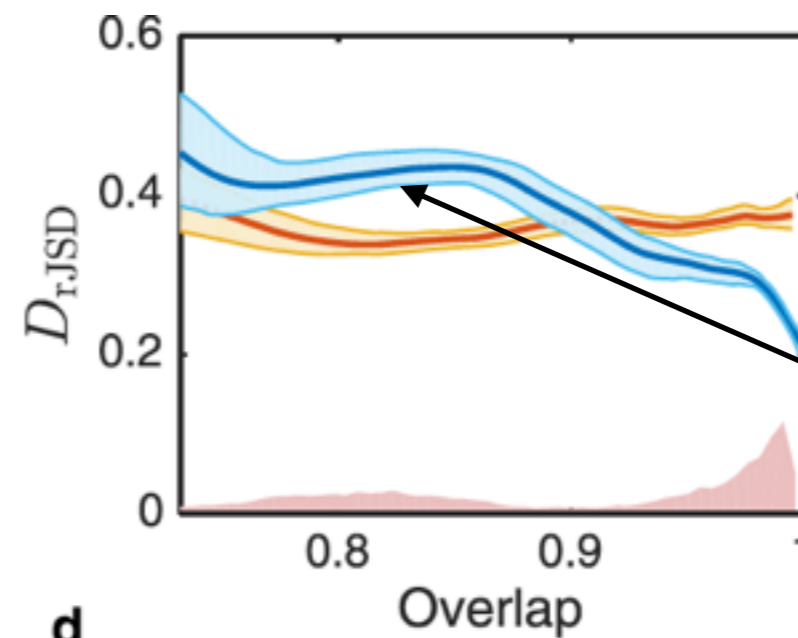
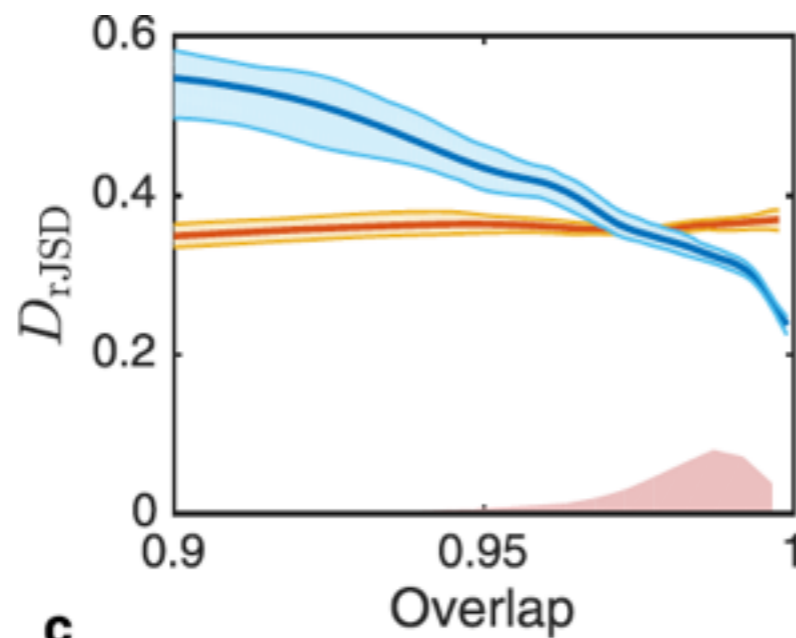


Lotka-Volterra model

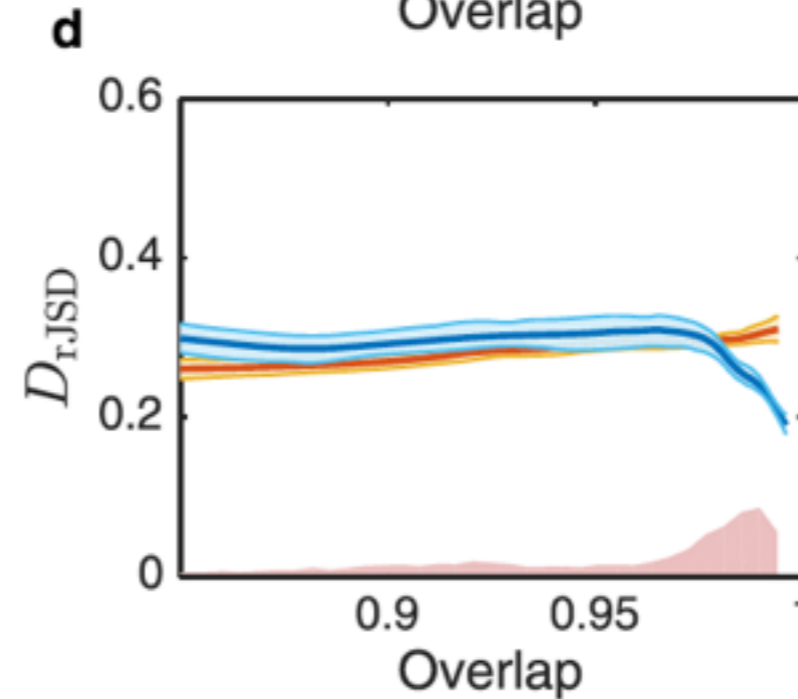
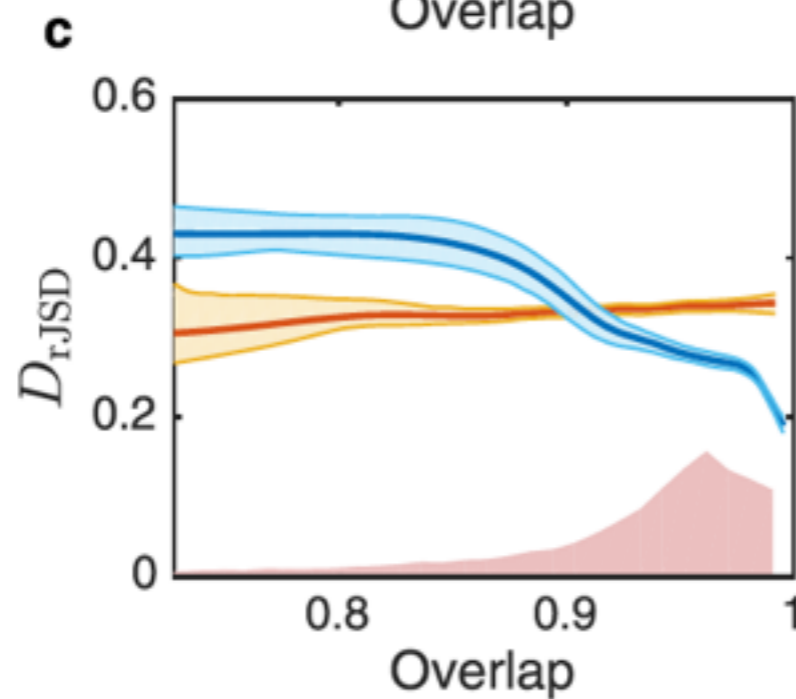
$$\frac{dx_i}{dt} = r_i x_i \left( 1 - \frac{\sum_{j=1}^N \alpha_{ij} x_j}{K_i} \right)$$



# DOC analysis of gut samples from longitudinal studies

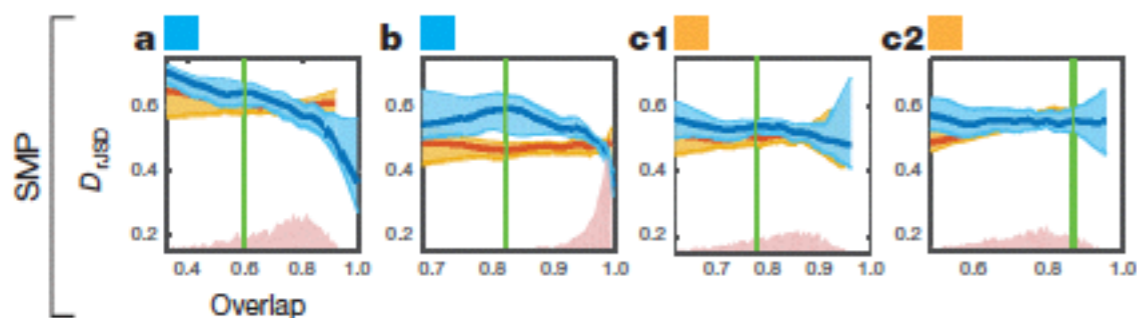


Salmonella infection

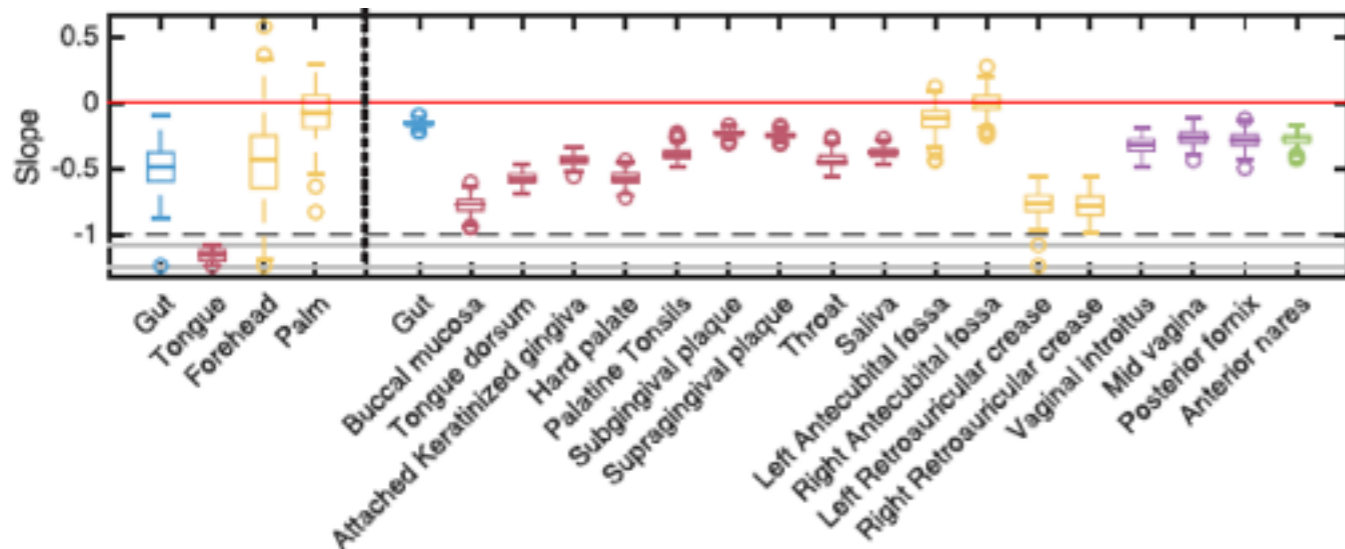
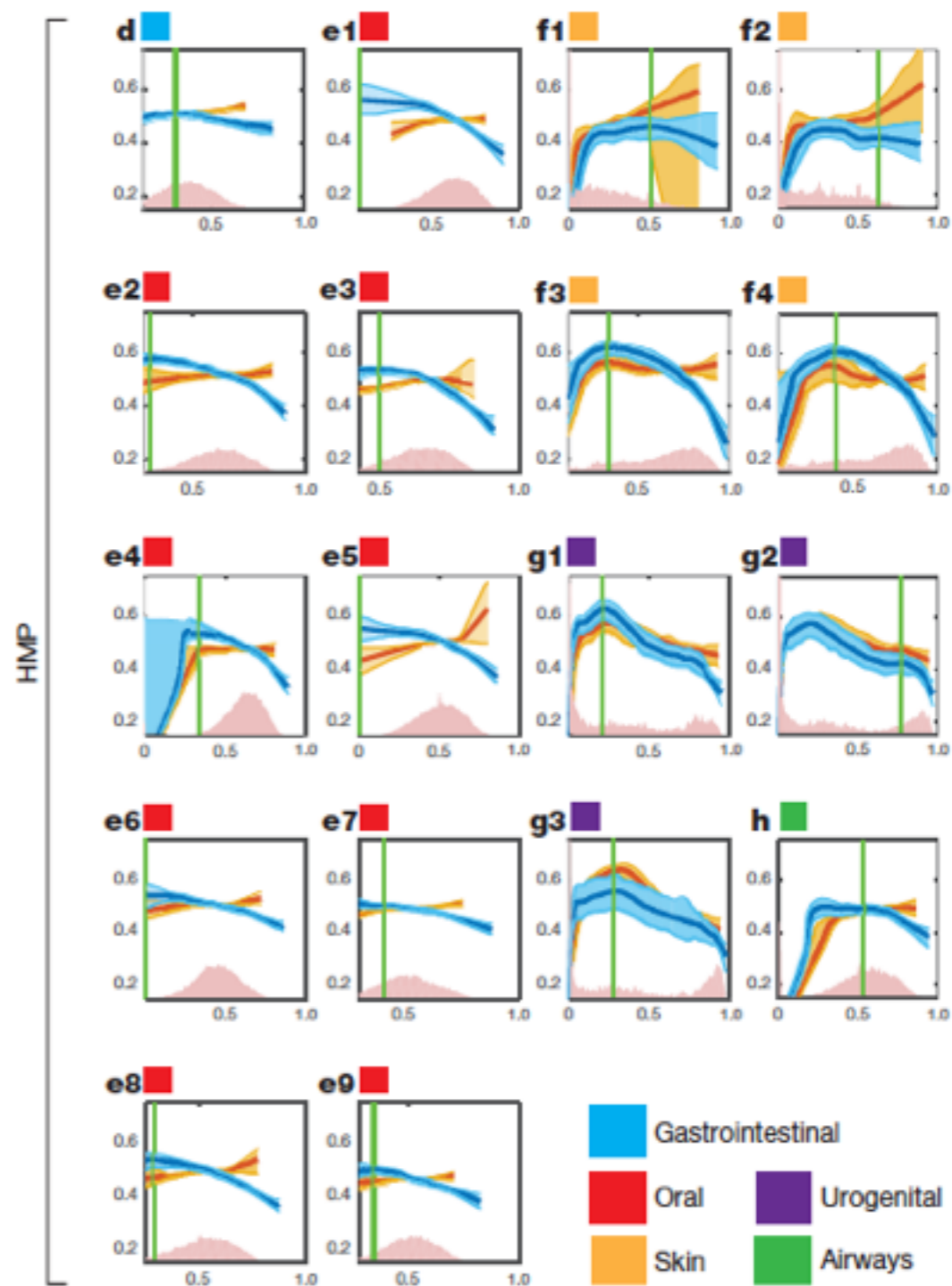


time-invariant of healthy individuals

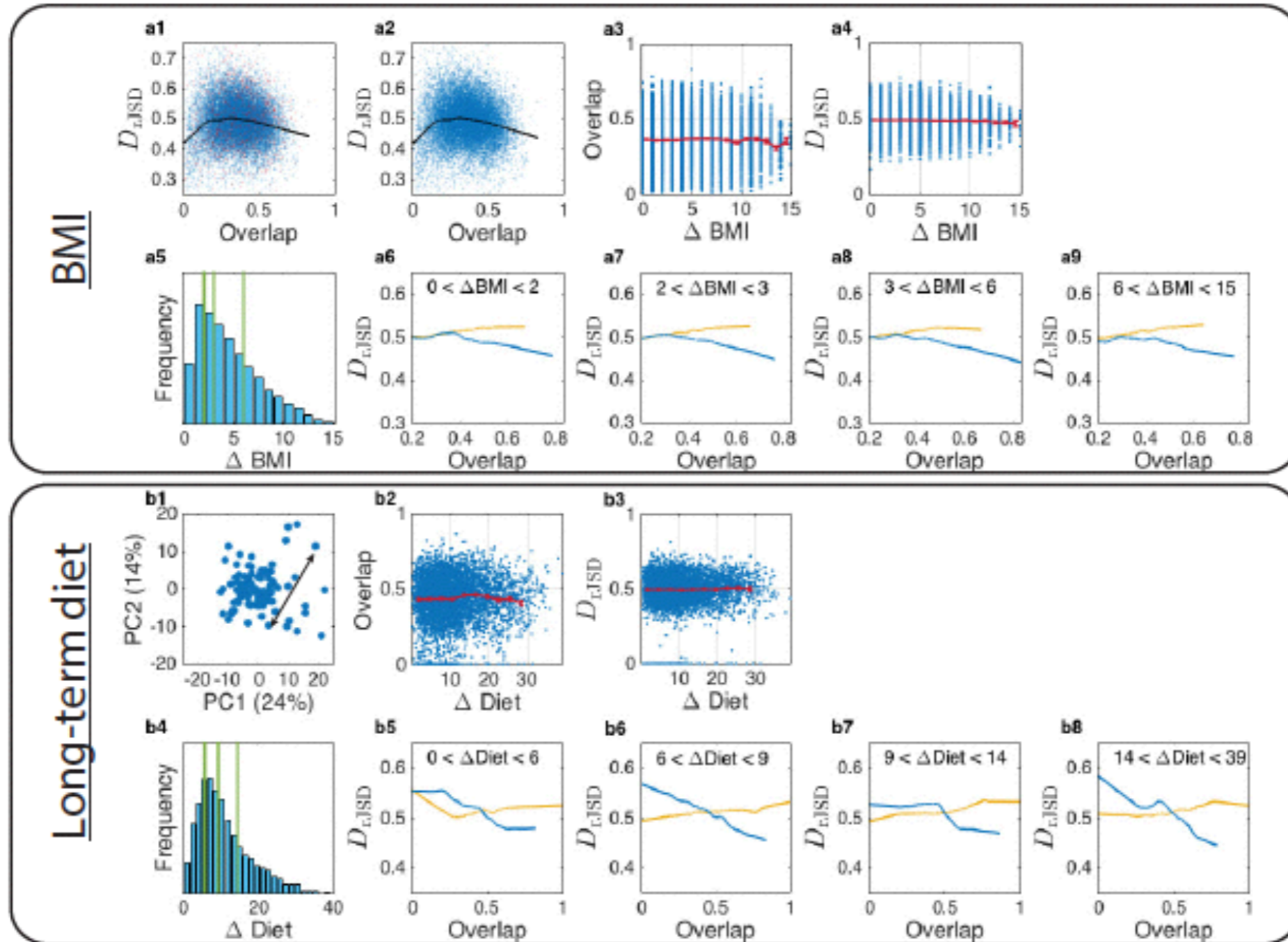
# DOC analysis in different body sites



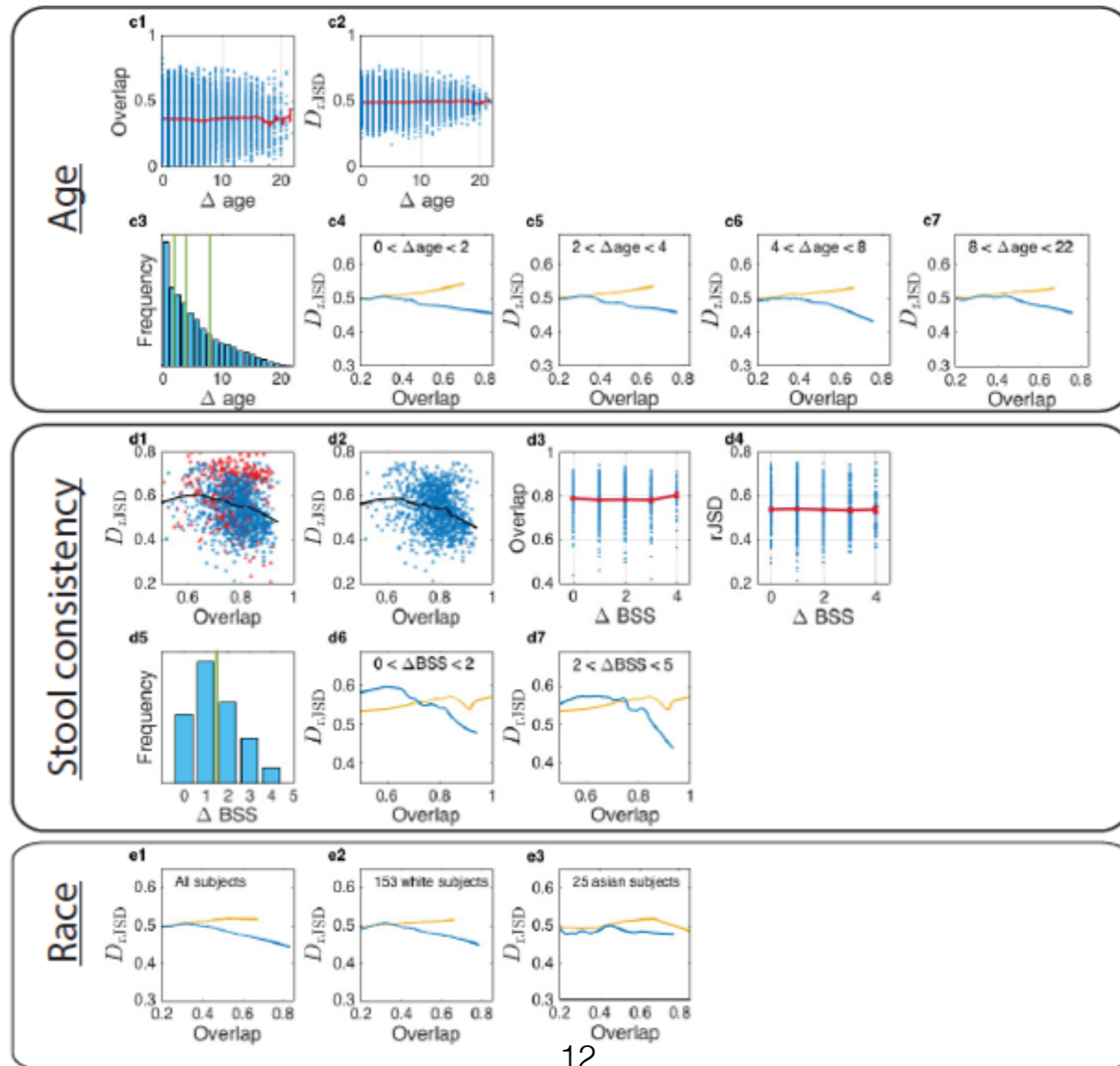
**Figure 3 | Detecting universality of microbial dynamics in different body sites.** a–h, We calculated DOCs for real (dark blue) and randomized (dark red) samples of two data sets: (1) SMP: gut (a), tongue (b), forehead skin (c1), palm skin (c2); (2) HMP: gut (d), tongue dorsum (e1), attached keratinized gingiva (e2), buccal mucosa (e3), hard palate (e4), palatine tonsils (e5), subgingival plaque (e6), supragingival plaque (e7), throat (e8), saliva (e9), left/right antecubital fossa (f1/f2), left/right retroauricular crease (f3/f4), vaginal introitus (g1), mid-vagina (g2), posterior fornix (g3), anterior nares (h). The overlap distributions of the real between-subjects sample pairs are shown in pink. The vertical green line represents the change point (see Methods).



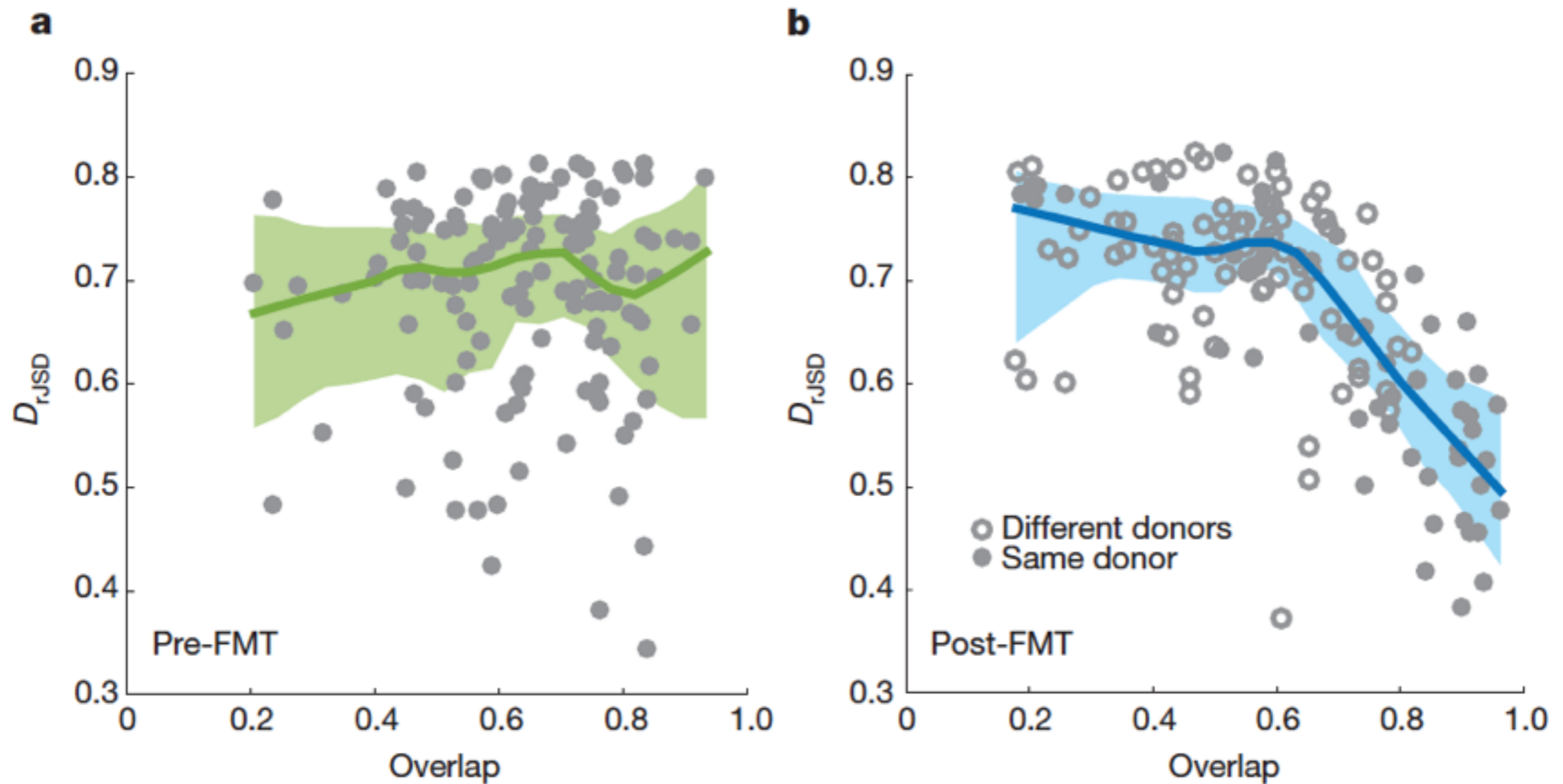
# Effects of host factors



# Effects of host factors



# DOC analysis of human subjects with recurrent Clostridium difficile infection



# Conclusion

A simple feature (DOC curve) interestingly distinguishes different microbial systems.

Steady state -> (??) dynamics

