

Distal regulatory modules (first draft)

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METHODS

Method overview

- Identify distal regulatory modules (DRMs)
 - Distal to avoid influence from enclosing gene
- Determine expression levels of genes
- Perform filtering
- Find DRM r and gene g where the signal of a histone mark at r correlates (positively or negatively) with the expression of g across multiple cell lines
- Find TFs that bind to r in cell lines with strong signal of the histone mark as potential regulators of g

Identifying DRM

- Use TF binding data to train a model for binding active regions (BARs). Use it to find BARs in the whole genome.
- Filter out regions within 10kb of annotated genes.

Basic filtering

- Not to consider a (DRM, histone mark) pair if:
 - The histone mark signal is too low (<5) or changes too little in the related cell lines (<2 fold)
- Not to consider a gene if:
 - Its expression level is too low (<5) or changes too little in the related cell lines (<2 fold)

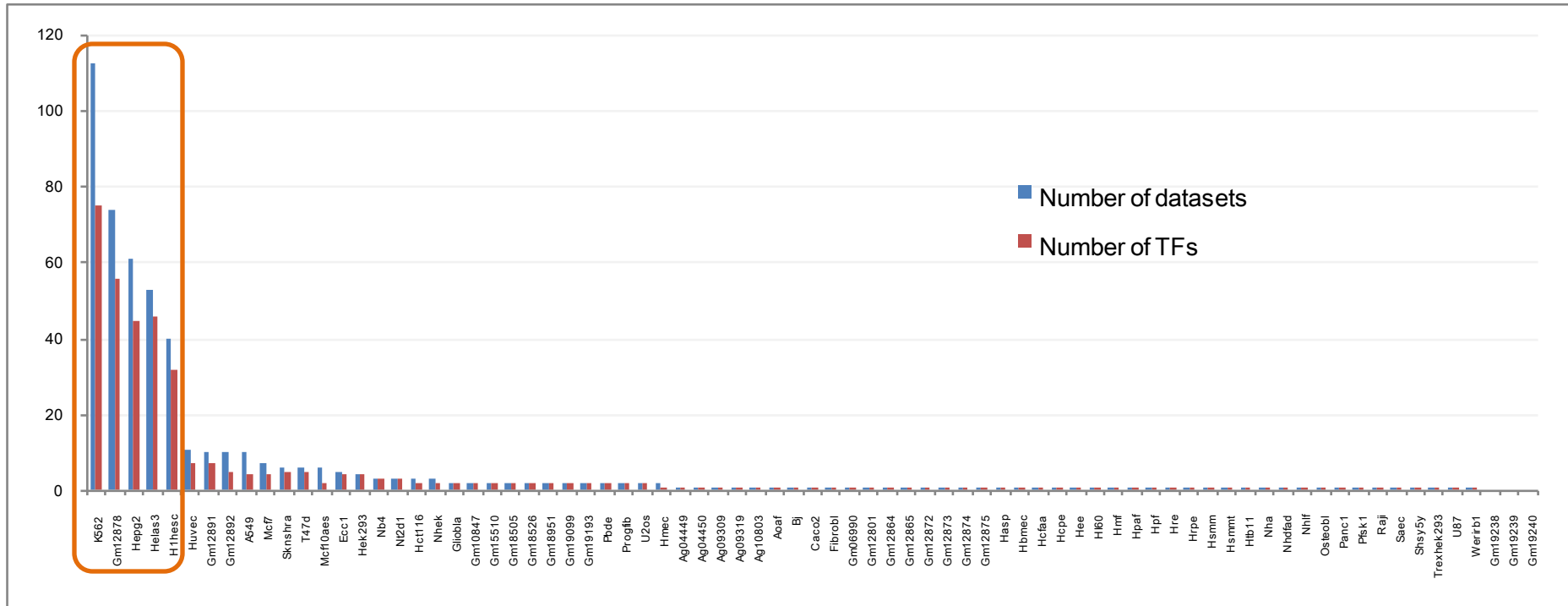
Additional filtering

- Filter out a (DRM, target gene) pair if
(Applied, otherwise too many candidates:)
 - They are on different chromosomes
 - They are too far apart (100kb)(Not yet applied:)
 - There is CTCF binding between them in the cell lines that the DRM is supposed to be active
 - There is no long-range interaction data that supports the connection
 - There is no expression (eRNA) at the DRM in the cell lines that the DRM is supposed to be active
 - Absence of conserved motifs in DMRs

DATA

*See `louise:/home/yy222/chromod/conf/human_grch37_jan2011.config` for list of datasets and locations

TF datasets



- Decision: Use GM12878, H1-hESC, HeLa-S3, Hep-G2 and K562 to find BARs

Correlation and sample size

- Fisher transformation

- Suppose the correlation between two random variables is r_0 . For a sample size of n , let r be the observed correlation. The following function

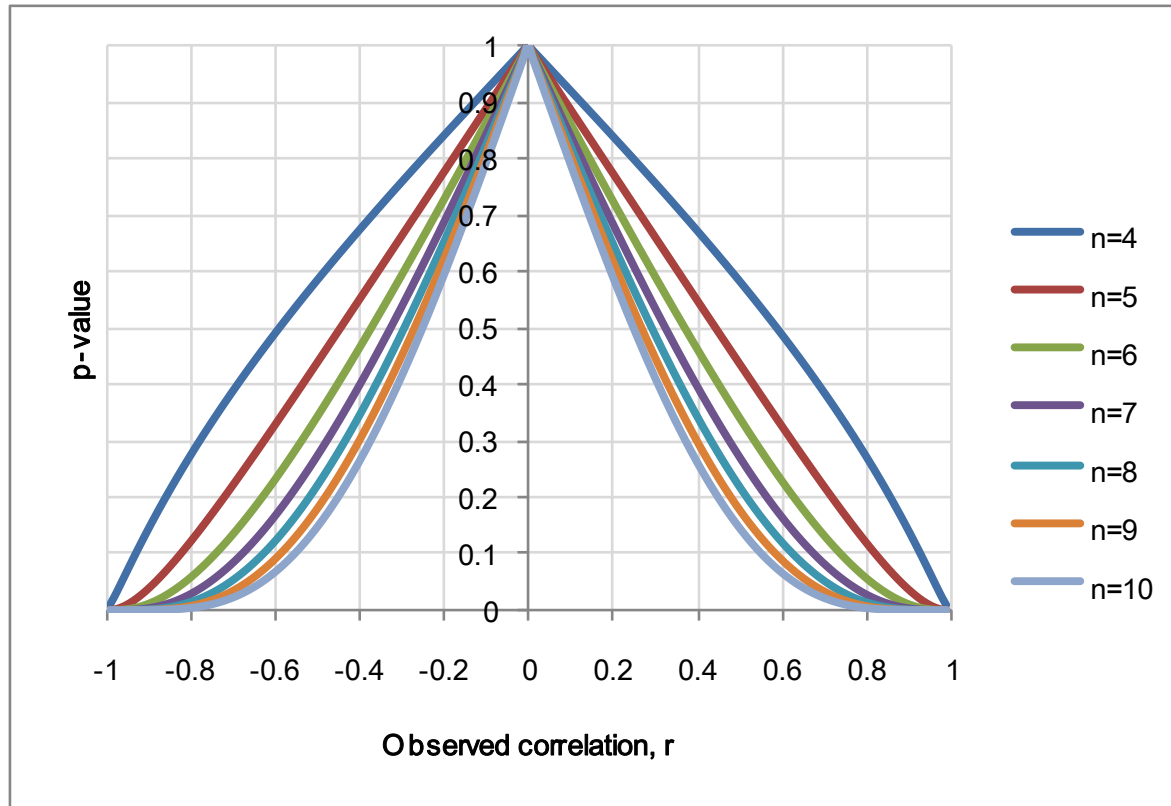
$$F(r) = \frac{1}{2} \ln \frac{1+r}{1-r}$$

approximately follows a Gaussian distribution with mean = $F(r_0)$ and standard deviation = $\frac{1}{\sqrt{n-3}}$

- Therefore to test the null hypothesis that the correlation is 0, the two-sided p-value can be computed as

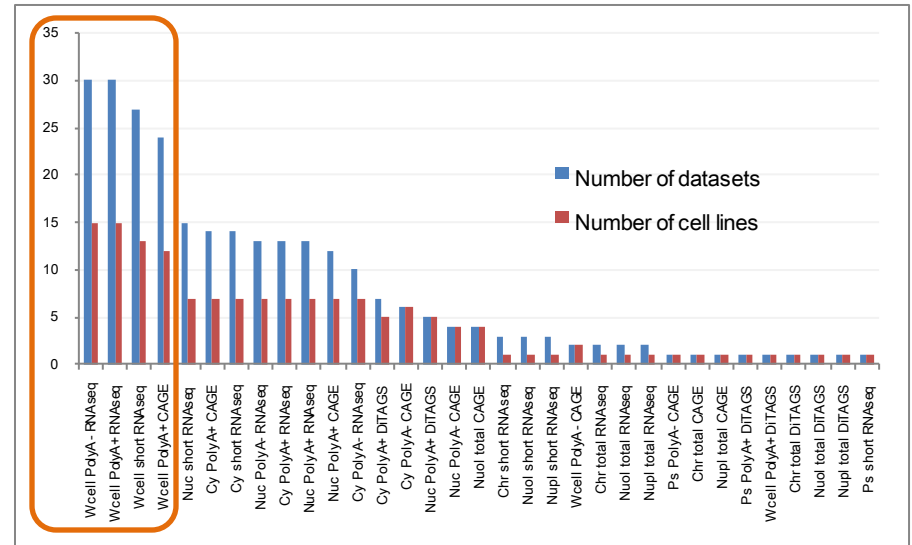
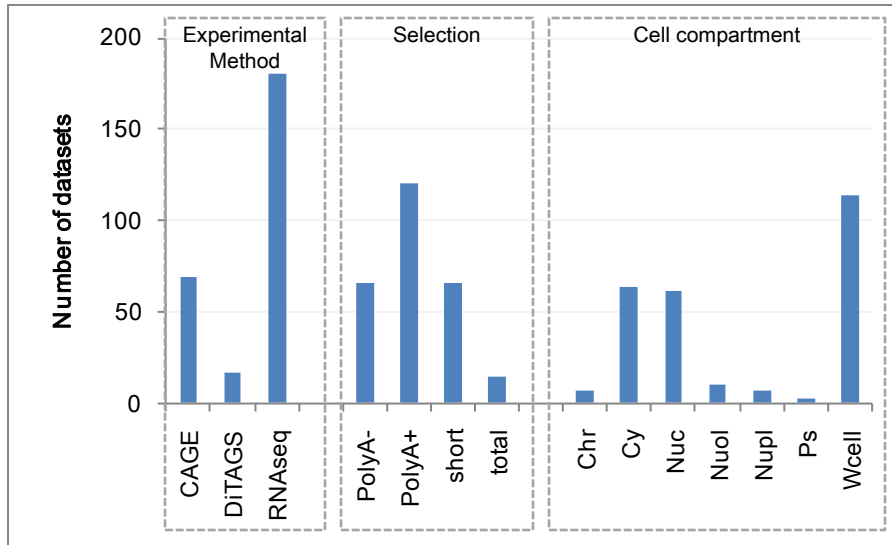
$$2\Phi(-|F(r) - F(0)|\sqrt{n-3}) = 2\Phi(-|F(r)|\sqrt{n-3})$$

Correlation and sample size



- If multiple hypothesis testing correction is applied, need very extreme r to get a significant p-value
- Decision: Focus on cases with 7 or more cell lines

RNA datasets



- Decision: Focus on 4 combinations:
 - (Wcell, PolyA-, RNAseq)
 - (Wcell, PolyA+, RNAseq)
 - (Wcell, short, RNAseq)
 - (Wcell, PolyA+, CAGE)

Long-range interaction datasets

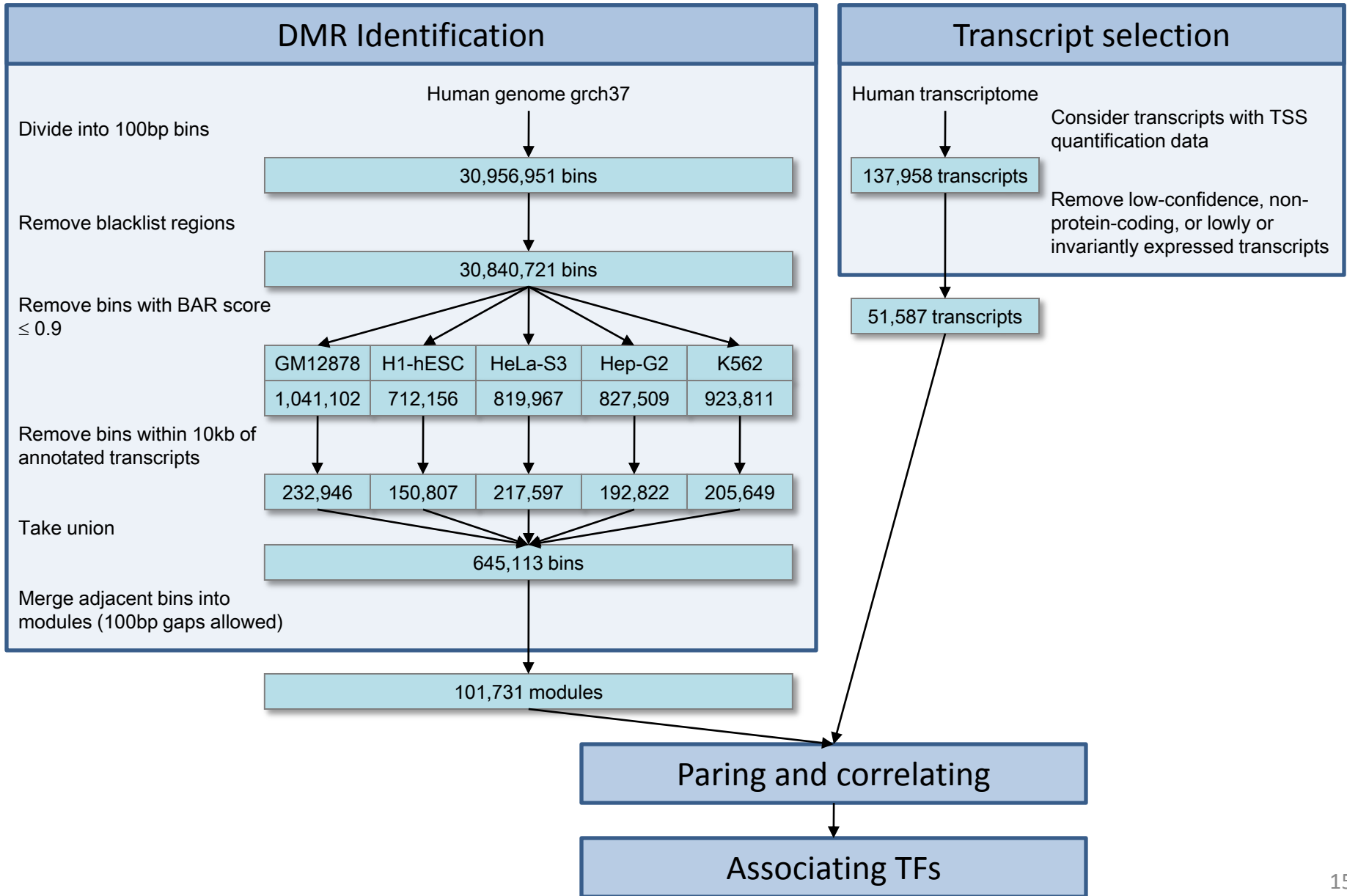
	Bj	Caco2	Gm06990	Gm12878	H1hesc	Hct116	Helas3	Hepg2	K562	Lncap	Mcf7	Nb4	Sknshra
GIS ChIA-PET (Pol2)						T	T		T		T	T	
UMass 5C				T	T		T		T				
Uw 5C	T	T	T	T				T	T	T	T		T

- Data quality not certain
- Decision: Use whenever possible

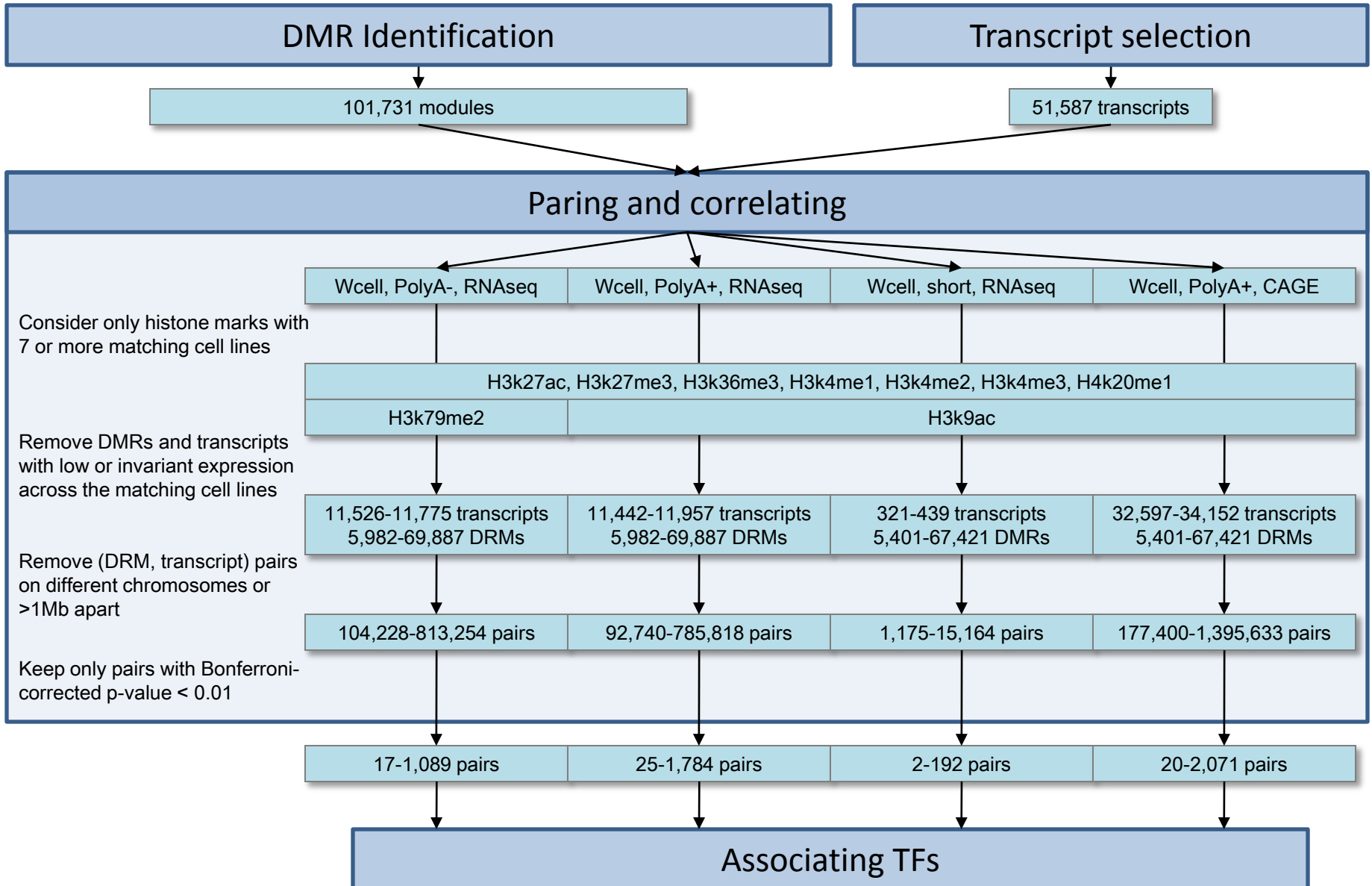
RESULTS

*Result files are stored in `louise:/home/yy222/chromod/results/drm/`

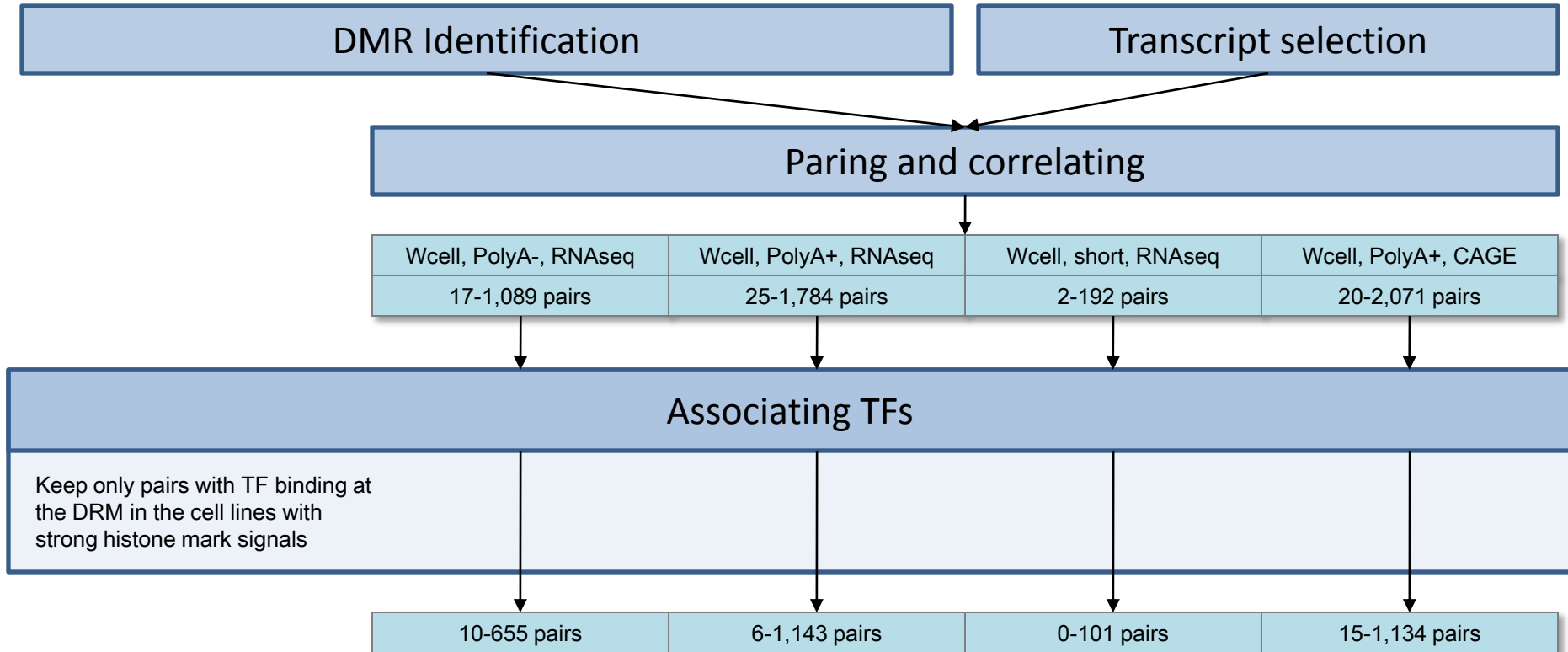
Pipeline (1)



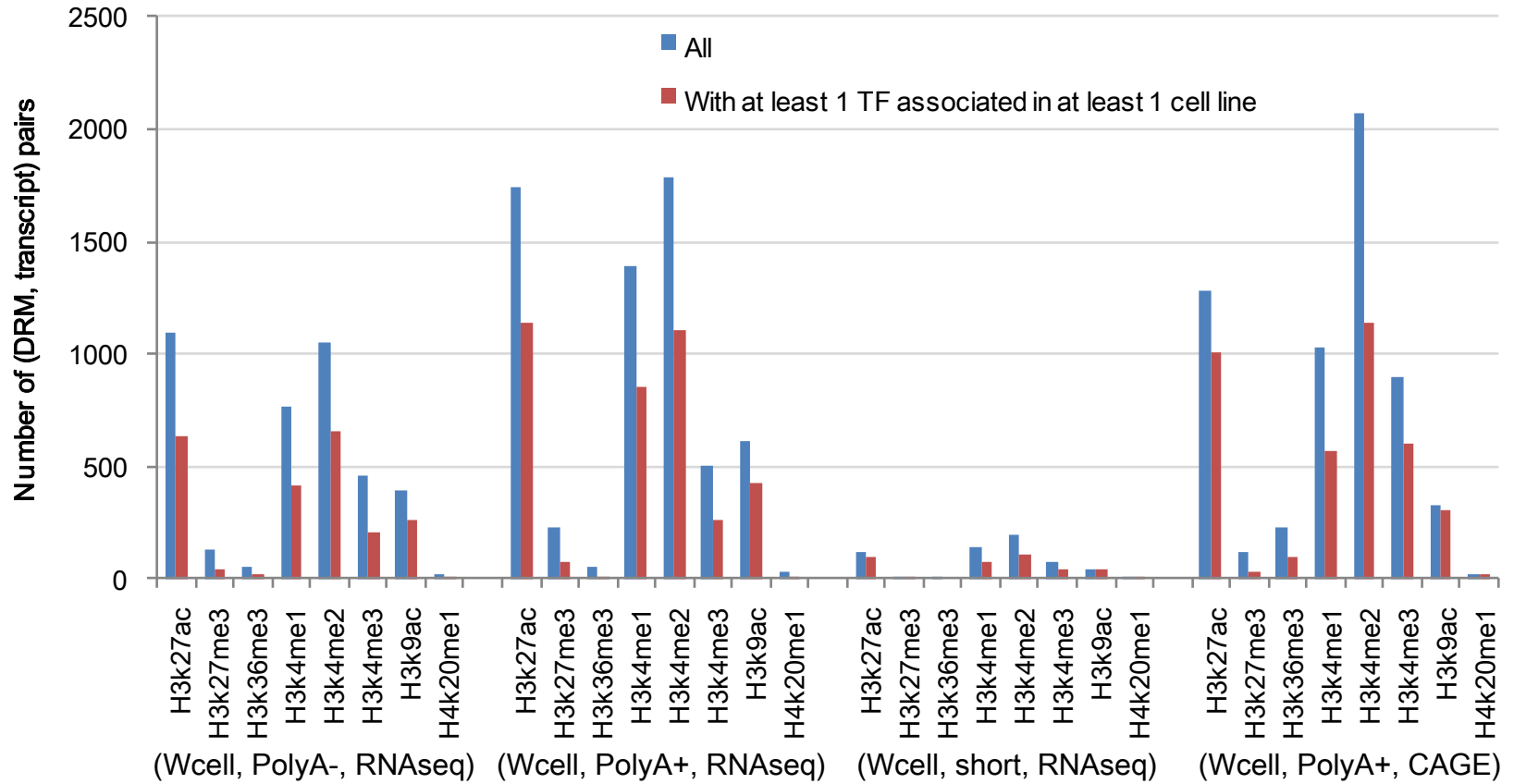
Pipeline (2)



Pipeline (3)



Number of called pairs



Current limitations

- Assume (unrealistically) that gene expression has a simple correlation with histone mark at DRMs
 - A better model needs to consider at least histone mark signals and TF binding at promoters
- Use of distance threshold and overly stringent p-value cutoff to reduce the number of (DRM, transcript) pairs
 - Would be good if long-range interaction, eRNA and/or motif data can be used instead
- Ad-hoc thresholds
- Low DRM resolution (100bp units)
- Small number of matched cell lines